

# AI for Power Systems

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# The AI4OPT Institute



# Use-Inspired Research

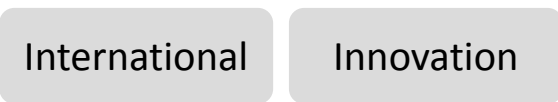
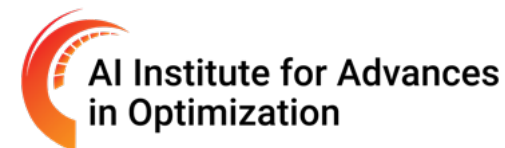
## Industrial Partners



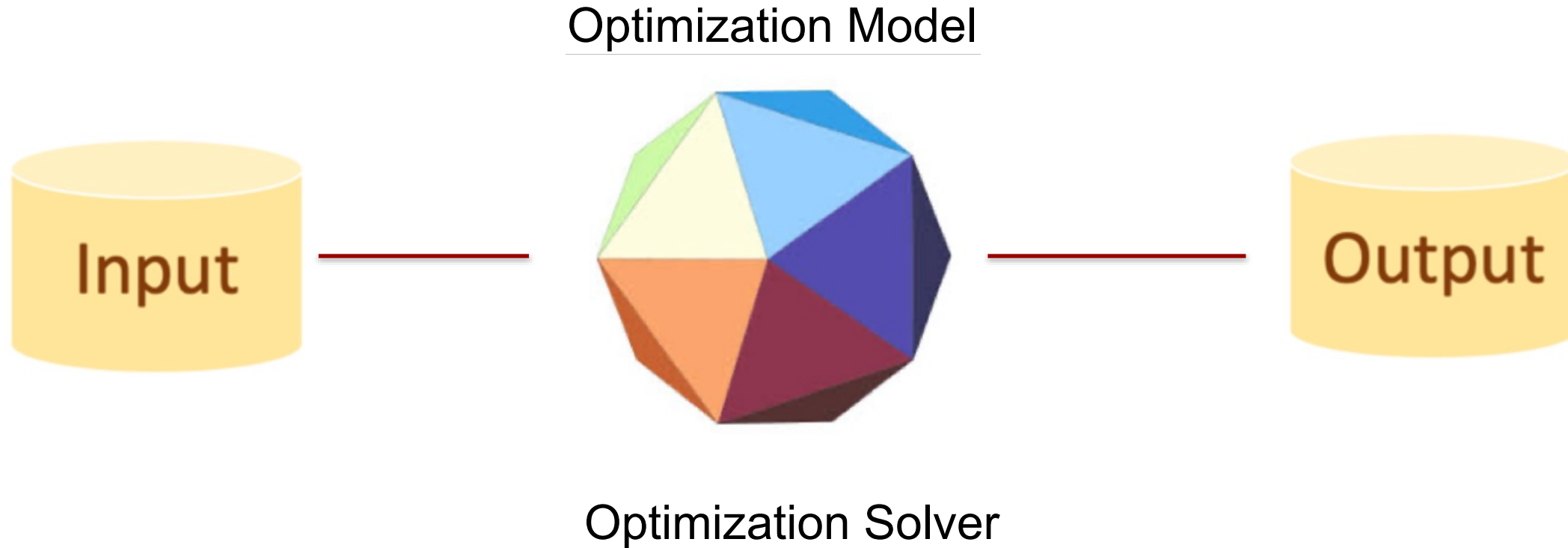
## Research



## Education and Diversity

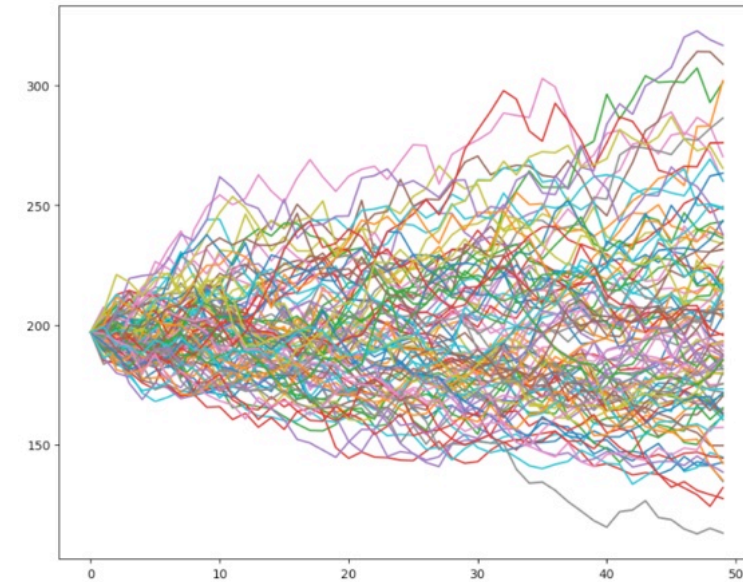


# The Beauty of Optimization



# The Challenges of Optimization

- ▶ Optimization may be too slow in some circumstances



- ▶ Optimization over physical infrastructures



- ▶ Solving the same core problem repeatedly
  - in situations that are relatively stable
  - in situations where a lot of historical and forecasted data is available



SPEED

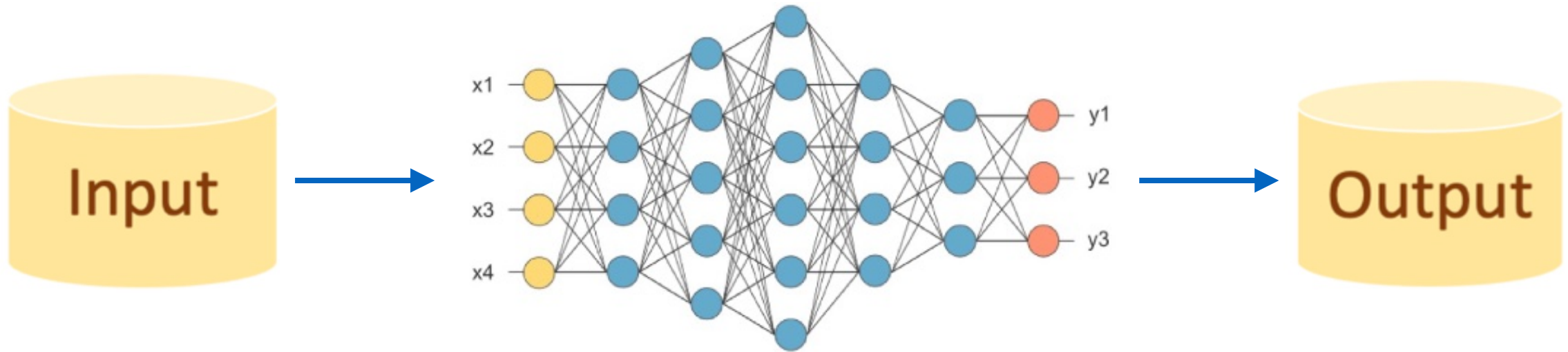
## Optimization Model



$$\mathcal{O} : I^n \mapsto O^m$$



## Machine Learning Model



$$\mathcal{M}_\theta : I^n \mapsto O^m$$

- ▶ Considering a multi-parametric optimization
  - using a distribution of inputs
- ▶ Move the computational burden offline
  - through machine learning
- ▶ Learning offline
  - empirical risk minimization
- ▶ Evaluation at inference time / real time
  - on a specific input with orders of magnitude improvement in efficiency

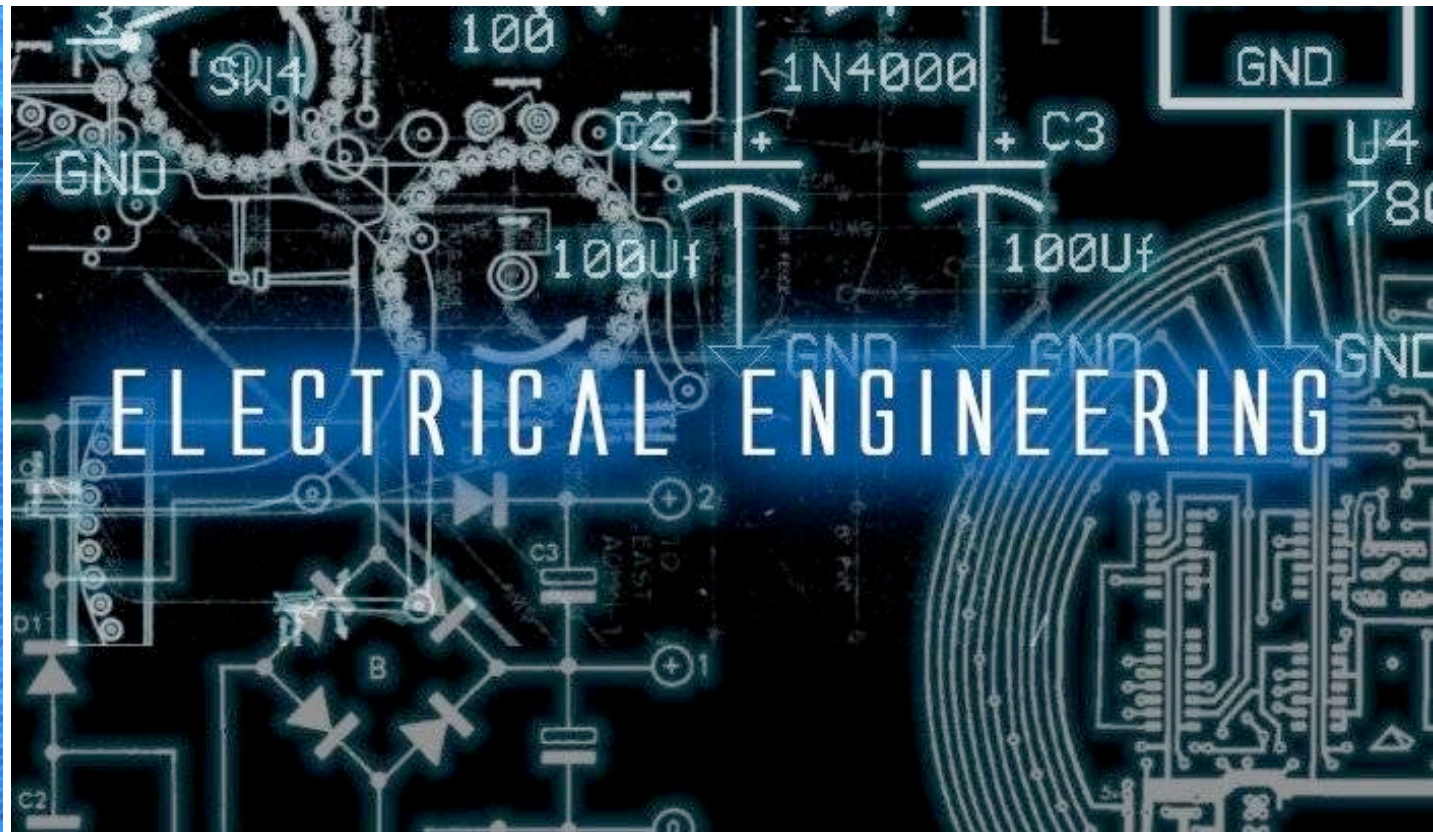
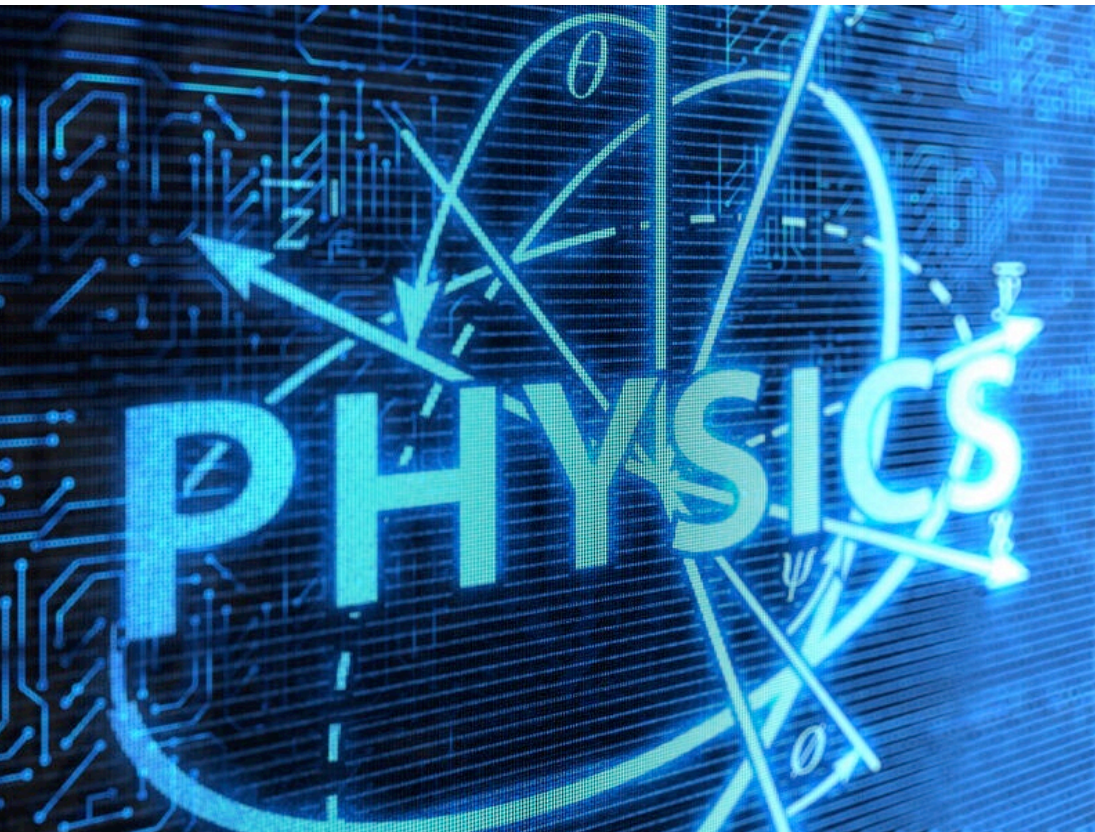
$$\mathcal{M}_{\theta^*}(\mathbf{x})$$

**Does it work?**

- ▶ Empirical risk minimization under constraints
  - physical, engineering, and/or business constraints
- ▶ Trustworthy AI by design
  - not as an after-thought
- ▶ Reliability
  - models to be deployed in critical infrastructures
- ▶ Performance guarantees
  - quality of solutions (e.g., optimality gaps)
- ▶ Scalability (and energy efficient)
  - input size of 1,000,000 and output size of 100,000

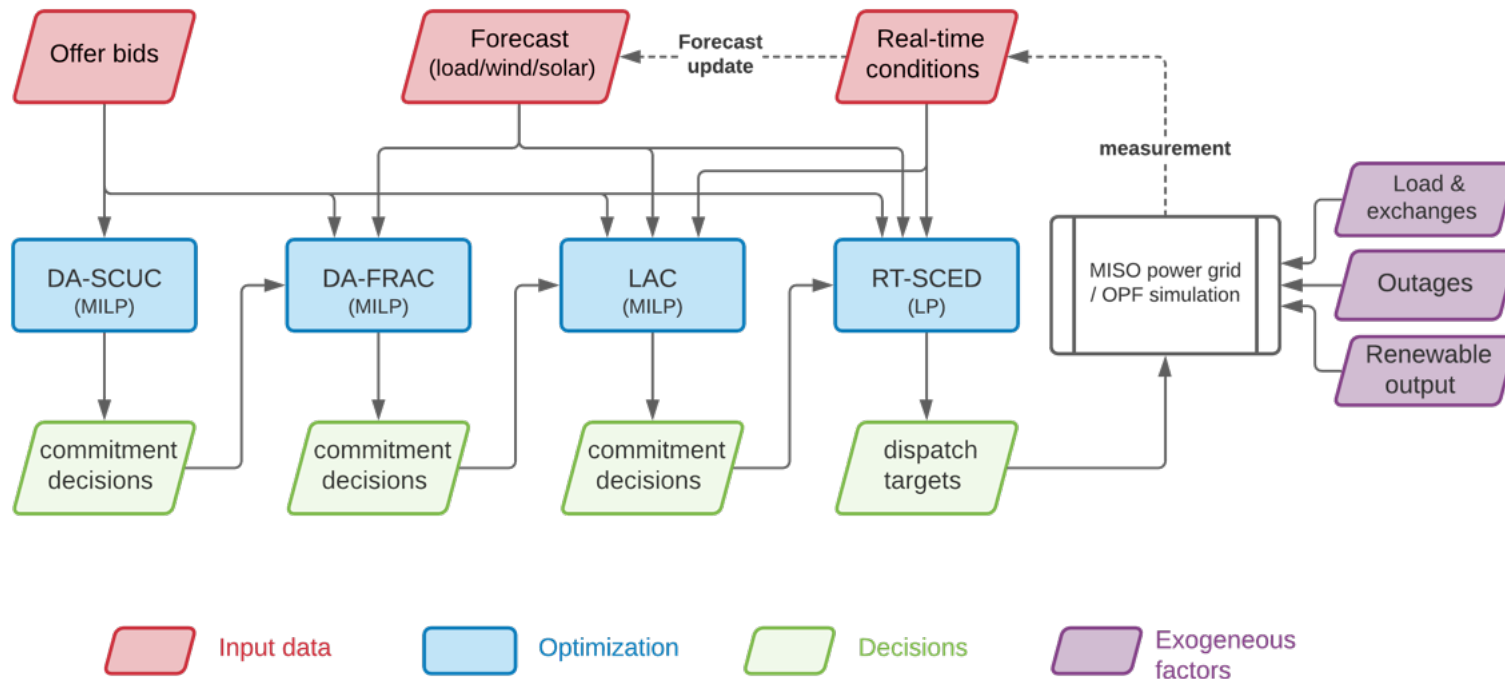
# AI is Ready for Critical Power Systems Applications

# AI is the Key Technology Enabler for Critical Power Systems Applications



# Energy Systems Operator Pipeline

- ▶ A sequence of optimization problems to decide
  - **Commitments:** Which generators do we switch on/off?
  - **Dispatches:** How much power each generator produces and how much reserves it provides?

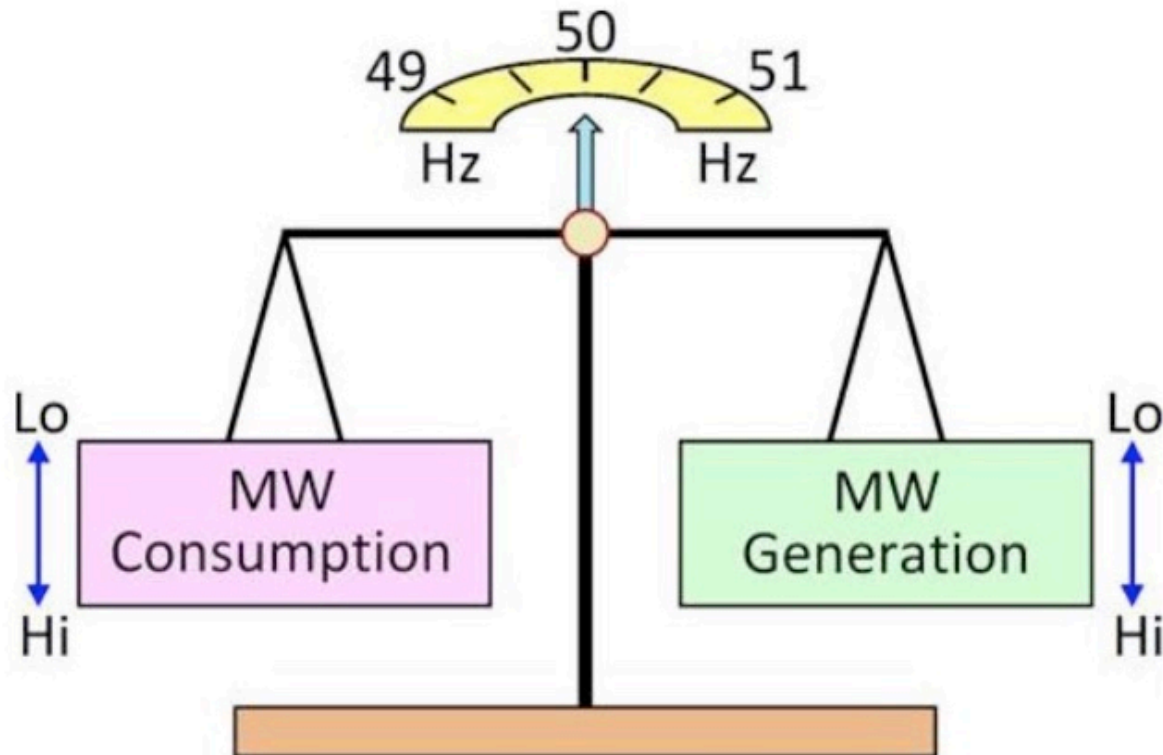




Keeping the lights on!



## THE POWER BALANCE



$$\begin{aligned} \min_{\mathbf{p}, \mathbf{r}, \xi} \quad & c(\mathbf{p}) + M \|\xi\|_1 \\ \text{s.t.} \quad & \mathbf{e}^\top \mathbf{p} = L, \\ & \mathbf{e}^\top \mathbf{r} \geq R, \\ & \mathbf{p} + \mathbf{r} \leq \bar{\mathbf{p}}, \\ & \mathbf{0} \leq \mathbf{p} \leq \bar{\mathbf{p}}, \\ & \mathbf{0} \leq \mathbf{r} \leq \bar{\mathbf{r}}, \\ & \underline{\mathbf{f}} - \xi \leq \Phi \mathbf{p} \leq \bar{\mathbf{f}} + \xi, \\ & \xi \geq \mathbf{0}. \end{aligned}$$



load = generation



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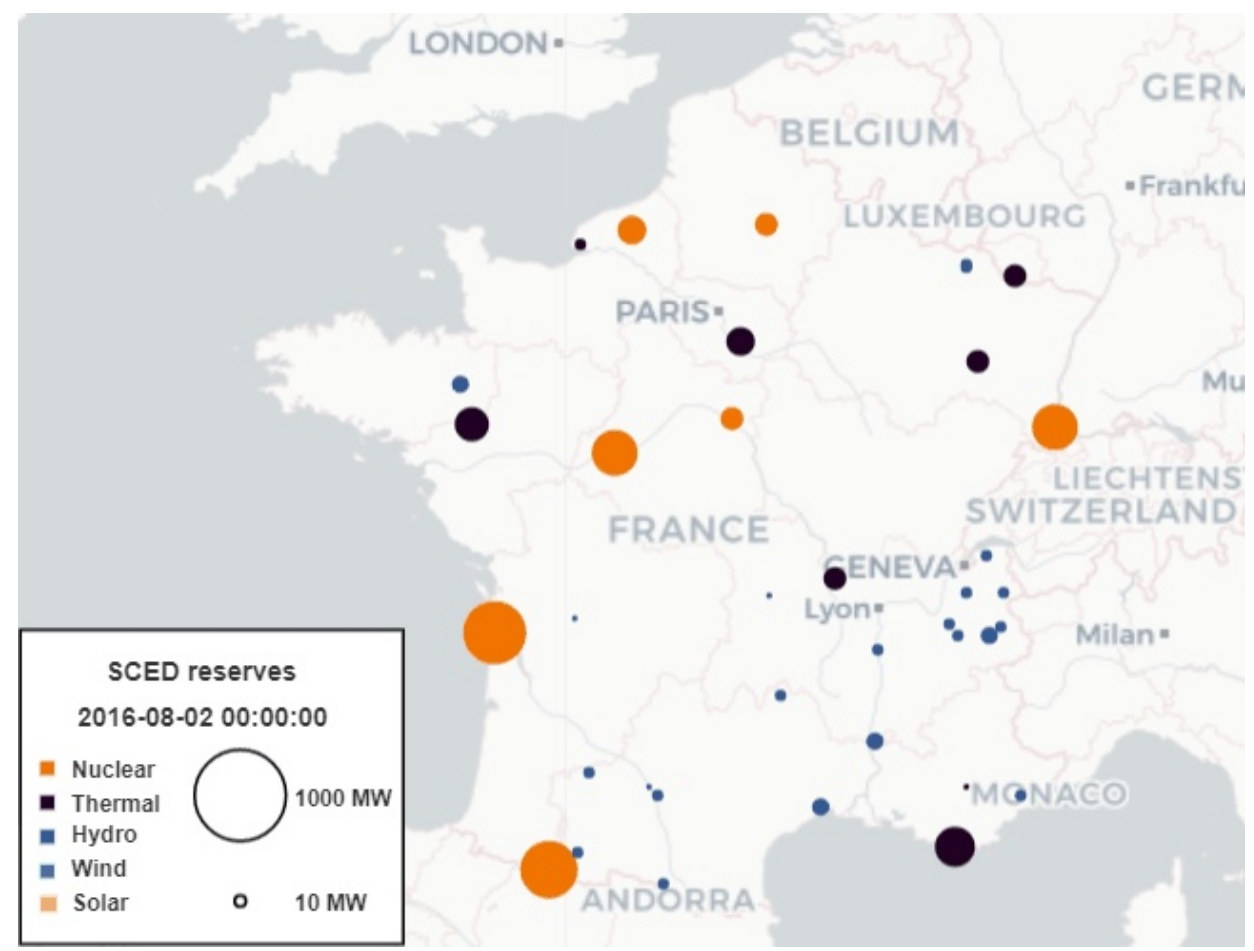
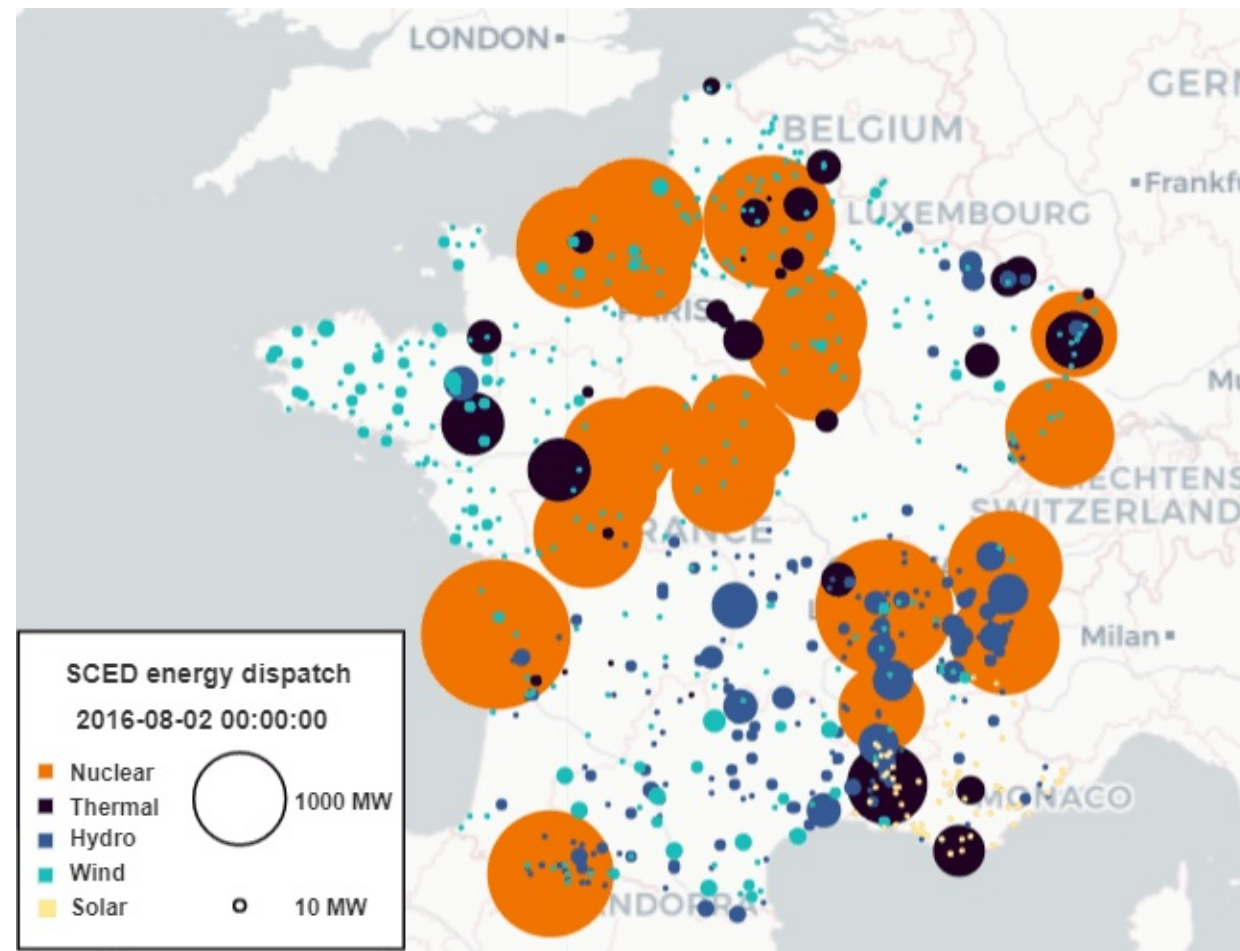
enough reserves

$$\begin{aligned} \min_{\mathbf{p}, \mathbf{r}, \xi} \quad & c(\mathbf{p}) + M \|\xi\|_1 \\ \text{s.t.} \quad & \mathbf{e}^\top \mathbf{p} = L, \\ & \mathbf{e}^\top \mathbf{r} \geq R, \\ & \mathbf{p} + \mathbf{r} \leq \bar{\mathbf{p}}, \\ & \mathbf{0} \leq \mathbf{p} \leq \bar{\mathbf{p}}, \\ & \mathbf{0} \leq \mathbf{r} \leq \bar{\mathbf{r}}, \\ & \underline{\mathbf{f}} - \xi \leq \Phi \mathbf{p} \leq \bar{\mathbf{f}} + \xi, \\ & \xi \geq \mathbf{0}. \end{aligned}$$



engineering  
constraints

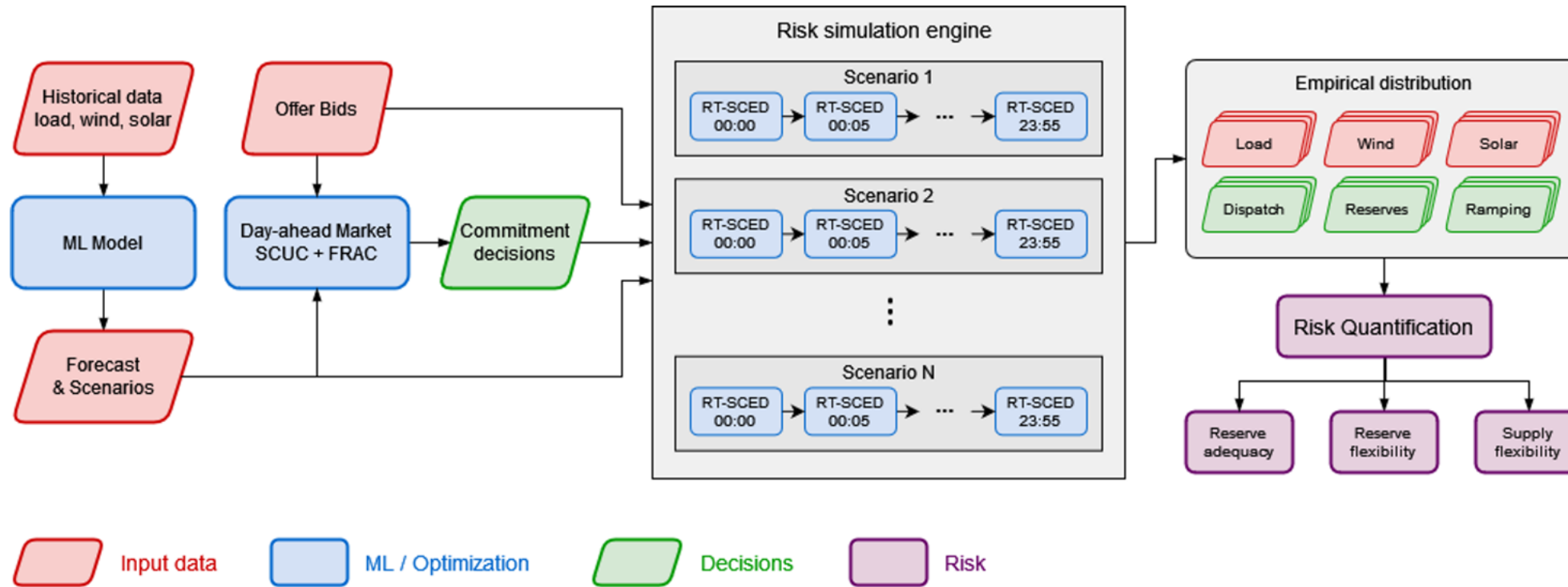
# Security-Constrained Economic Dispatch



# Increased Volatility



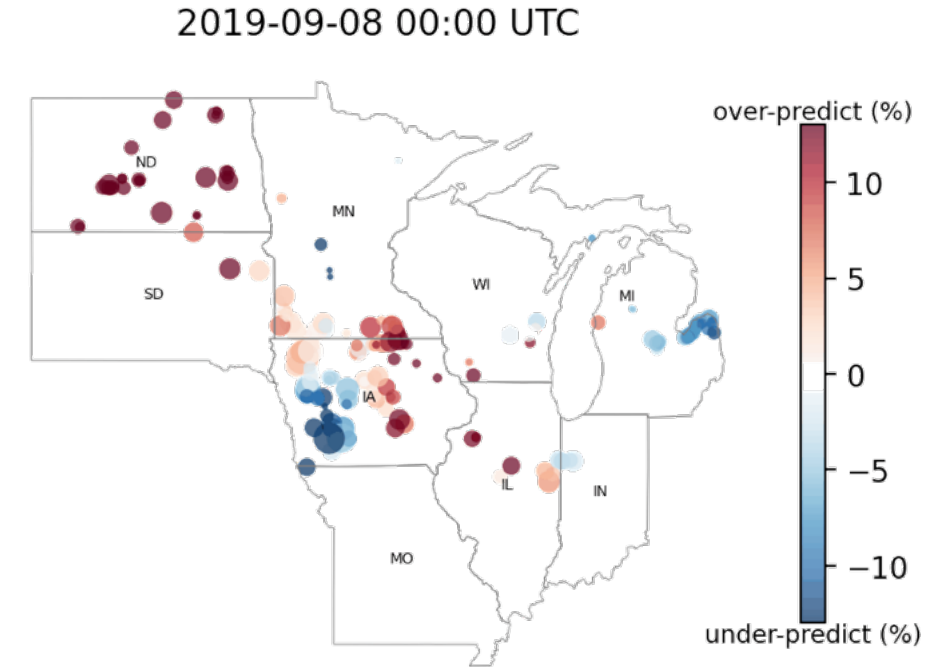
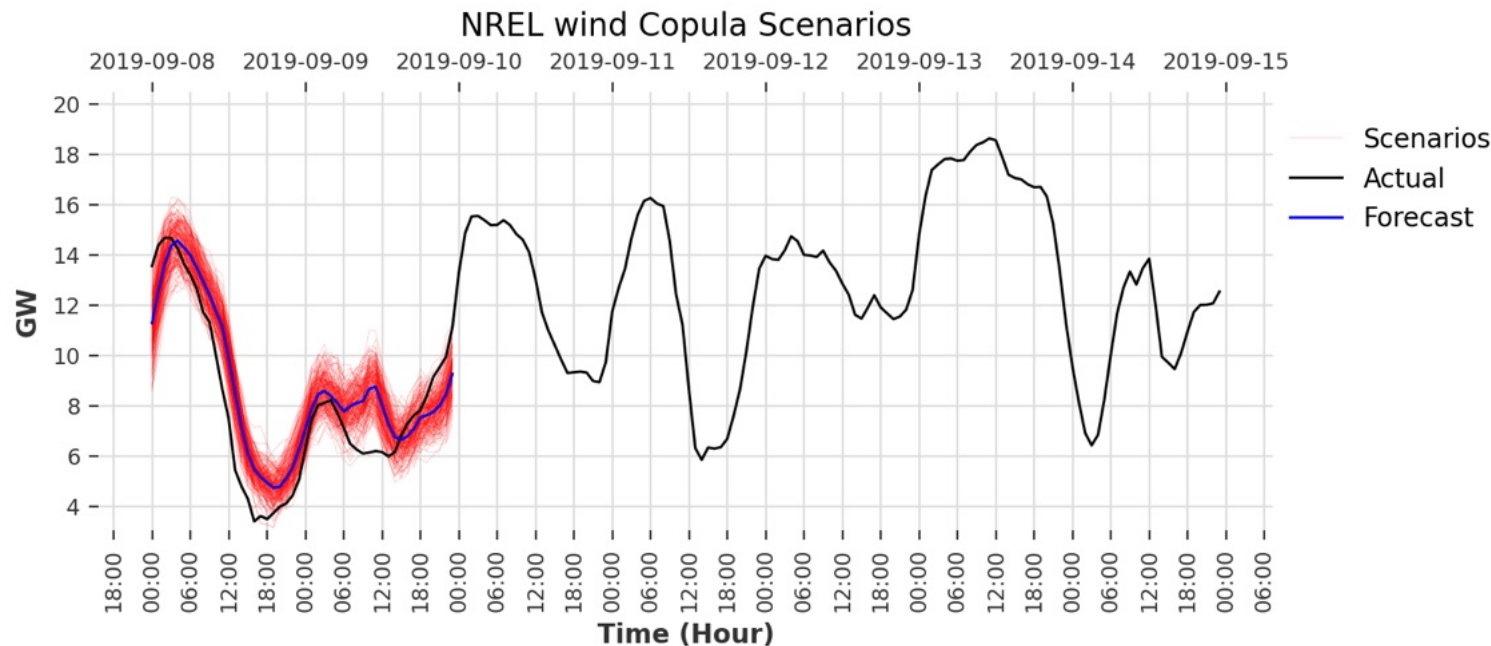




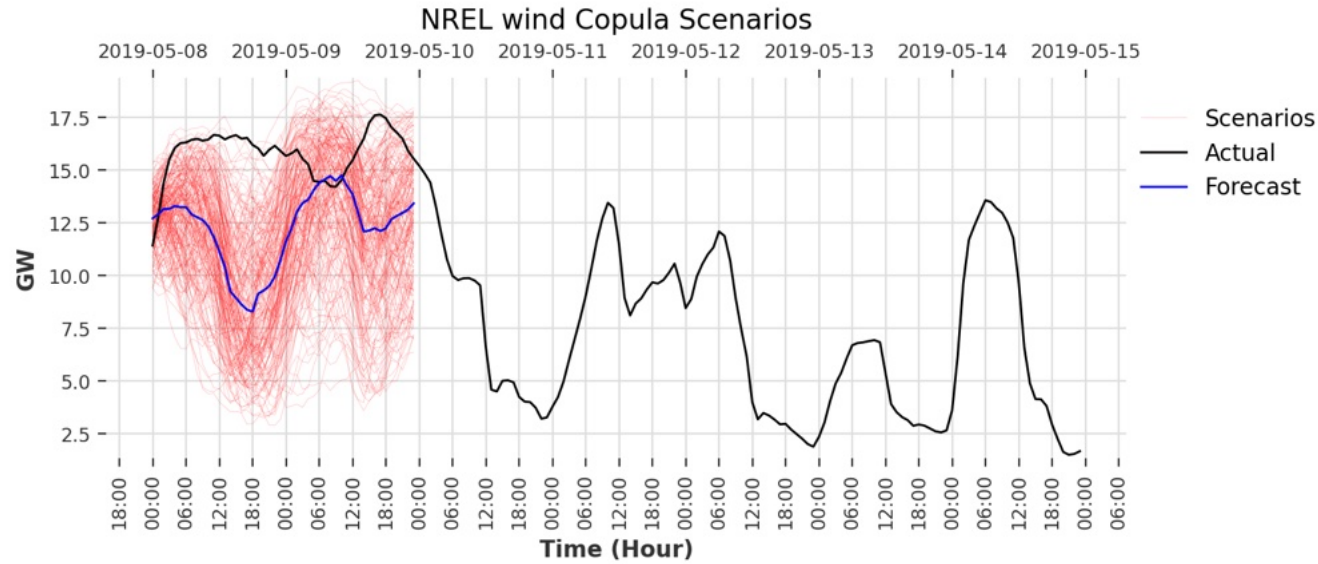
**1 Monte-Carlo simulation (24hr) = 288 LPs = ~15 CPU.min**



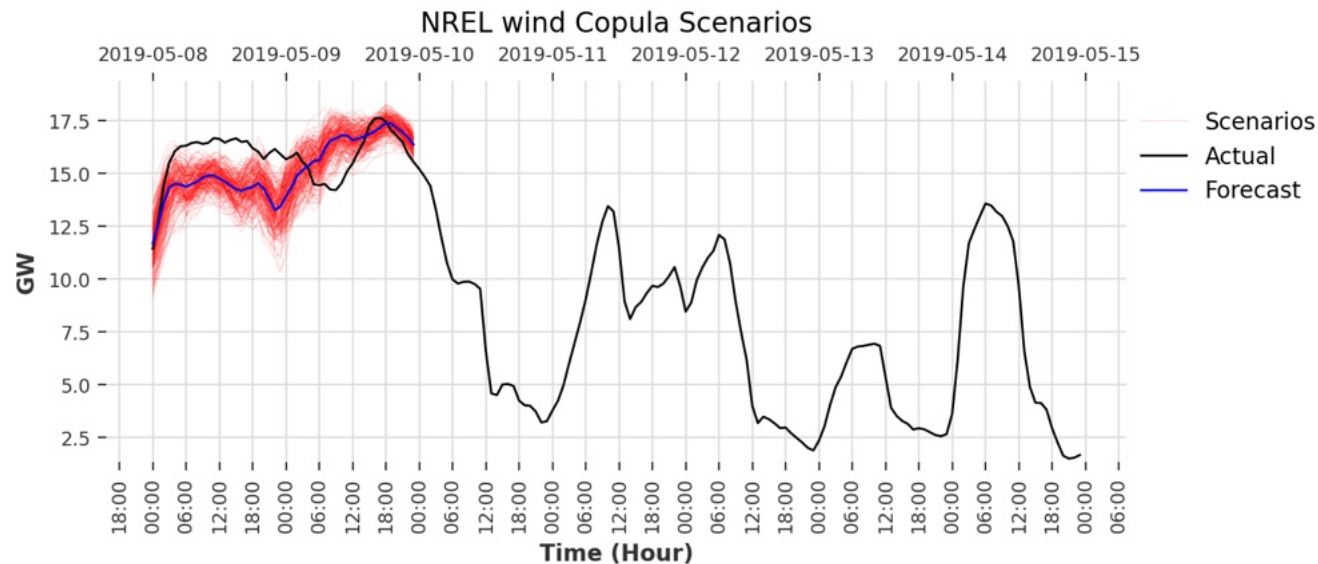
- ▶ High-dimensional time series forecasting
  - Joint distribution of  $O(10^4)$  variables
  - Uncertainty quantification



# Data-Driven v.s. Weather-Informed



**Data Driven**



**Weather-informed**

## Probabilistic Forecasting and Scenario Generation

model	load				wind				solar			
	s-sum		ind		s-sum		ind		s-sum		ind	
	NMAE(%)	RMSE	NMAE(%)	RMSE	NMAE(%)	RMSE	NMAE(%)	RMSE	NMAE(%)	RMSE	NMAE(%)	RMSE
ARIMA	4.2%	6316.1	5.2%	1302.4	16.6%	4136.8	28.5%	25.4	9.0%	190.3	12.4%	0.7
Dlinear	2.8%	4211.2	4.2%	1003.1	16.7%	4134.2	26.9%	24.6	7.2%	181.0	10.0%	0.7
Nlinear	3.3%	4964.5	3.9%	994.9	16.2%	4030.6	26.0%	23.9	7.4%	182.5	10.2%	0.7
DeepAR	5.1%	7261.4	6.1%	1428.8	16.8%	4357.0	27.2%	25.3	5.2%	168.9	8.2%	0.7
TFT	2.9%	4473.8	3.7%	954.5	16.7%	4335.3	27.0%	25.7	5.5%	173.3	8.9%	0.7
WI-Dlinear	2.7%	4149.3	3.8%	947.3	9.6%	2615.7	18.5%	18.5	4.8%	130.2	7.3%	0.6
WI-Nlinear	3.0%	4572.3	3.9%	984.6	9.7%	2633.1	18.4%	18.4	5.0%	134.9	7.5%	0.6
WI-DeepAR	1.6%	2461.2	2.3%	596.4	10.3%	2778.3	18.7%	19.4	4.0%	139.7	6.3%	0.6
WI-TFT	1.1%	1702.6	1.9%	500.4	7.9%	2152.1	16.1%	17.0	3.1%	106.1	5.8%	0.5

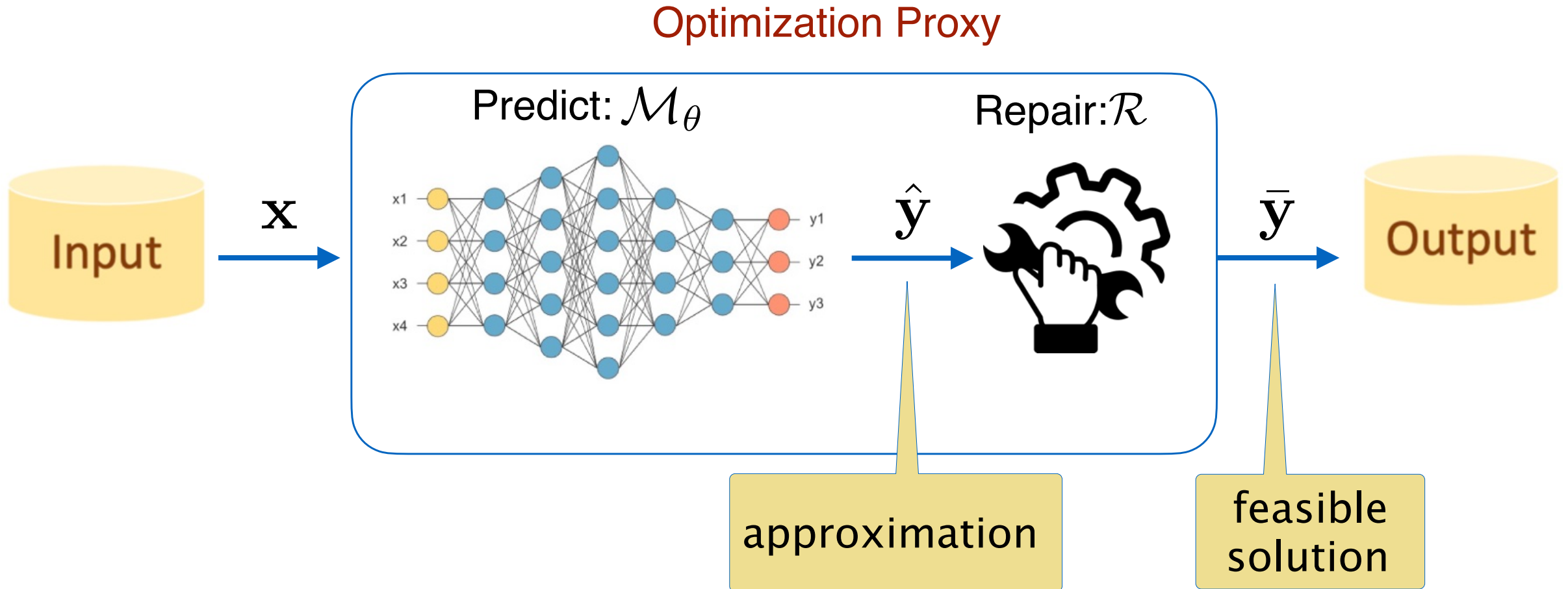
**Table 3**

Deterministic Forecast accuracy on MISO dataset

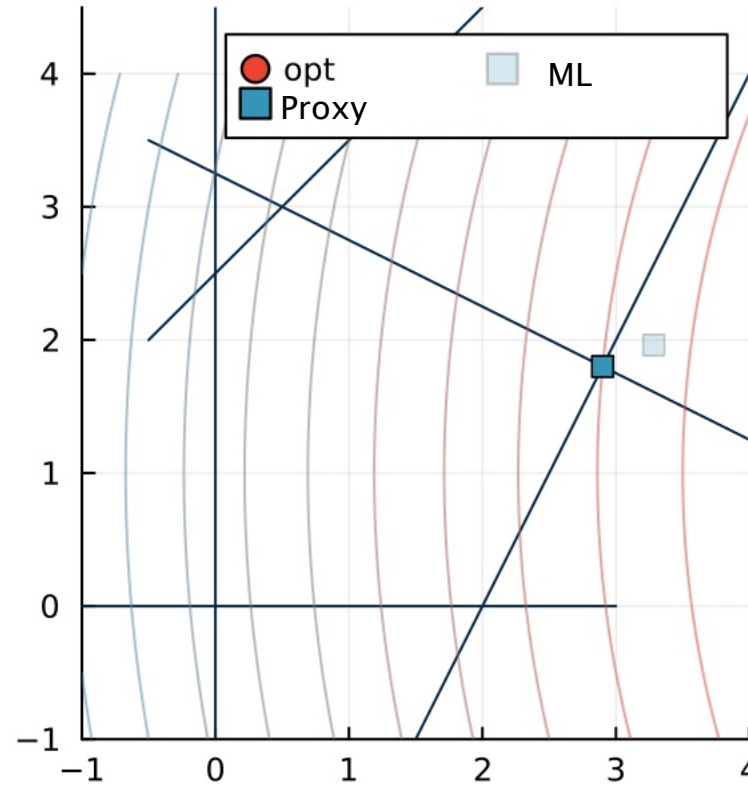
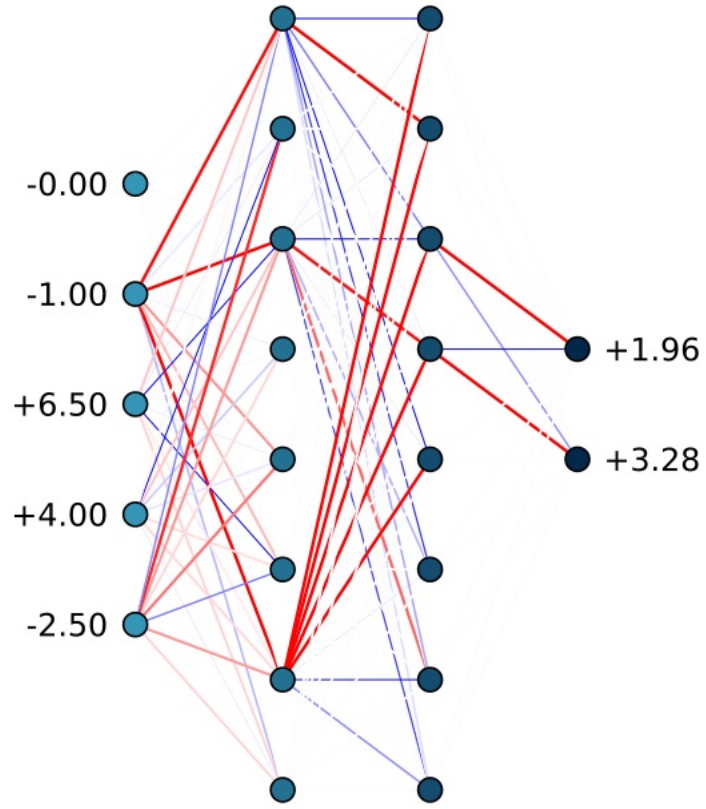
Hanyu Zhang, Reza Zandehshahvar, Mathieu Tanneau and Pascal Van Hentenryck. Weather-Informed Probabilistic Forecasting and Scenario Generation in Power Systems. Applied Energy (to appear)

Keeping the lights on!





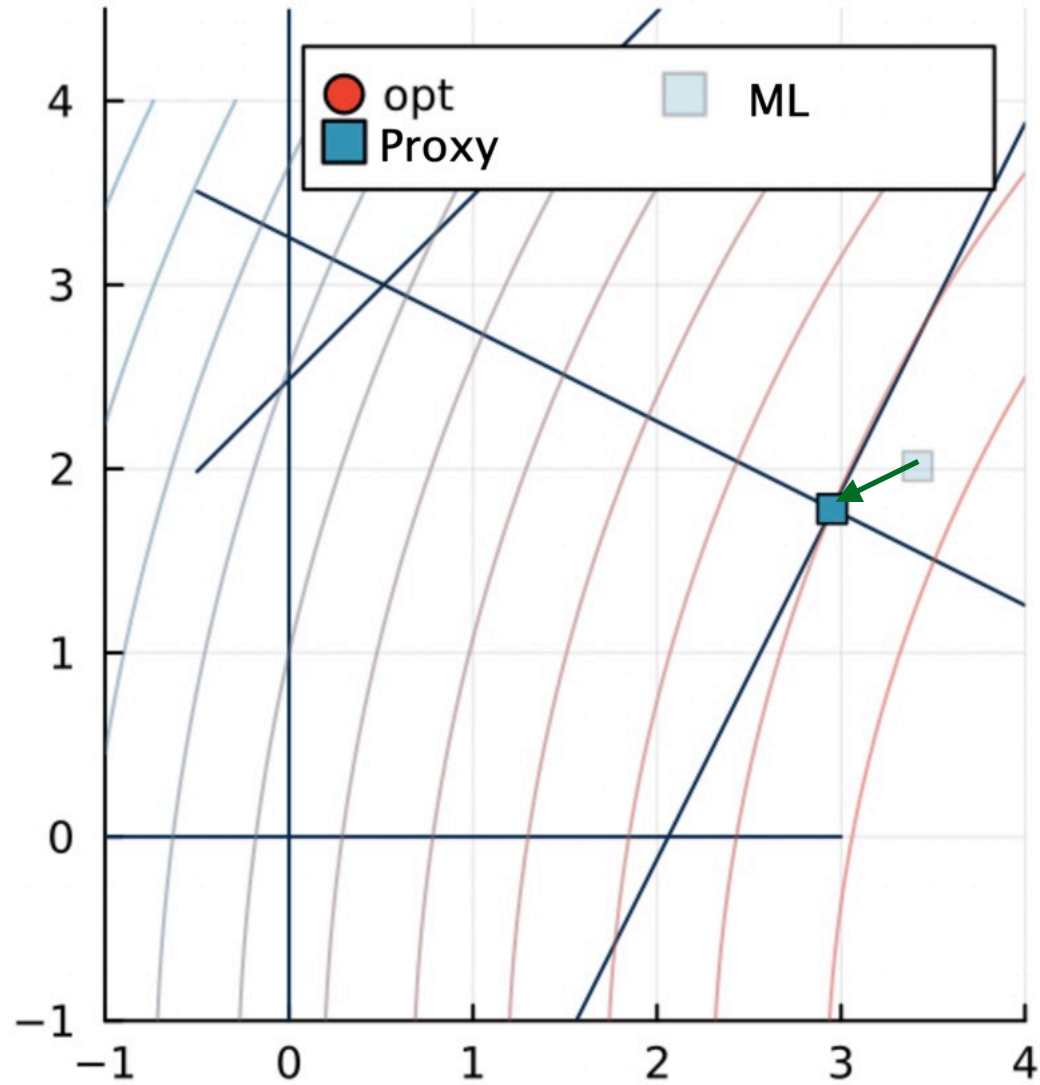
# Optimization Proxy

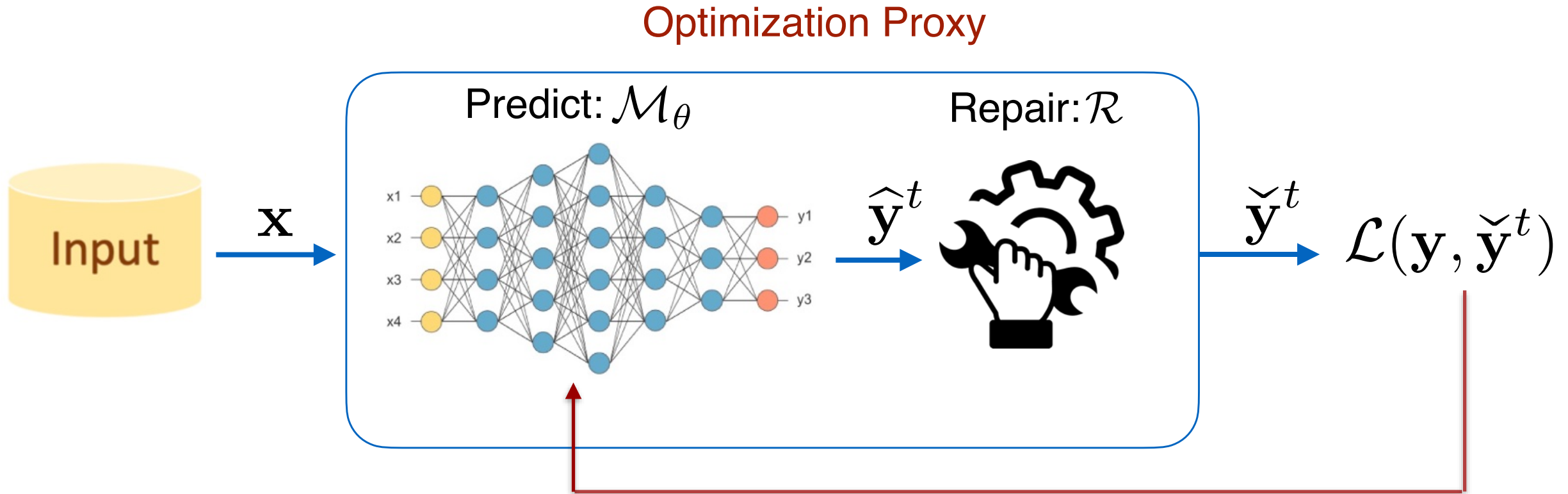


	MAE	gap	viol
ML	+0.54	-0.29	+1.31
Proxy	+0.00	-0.00	+0.00



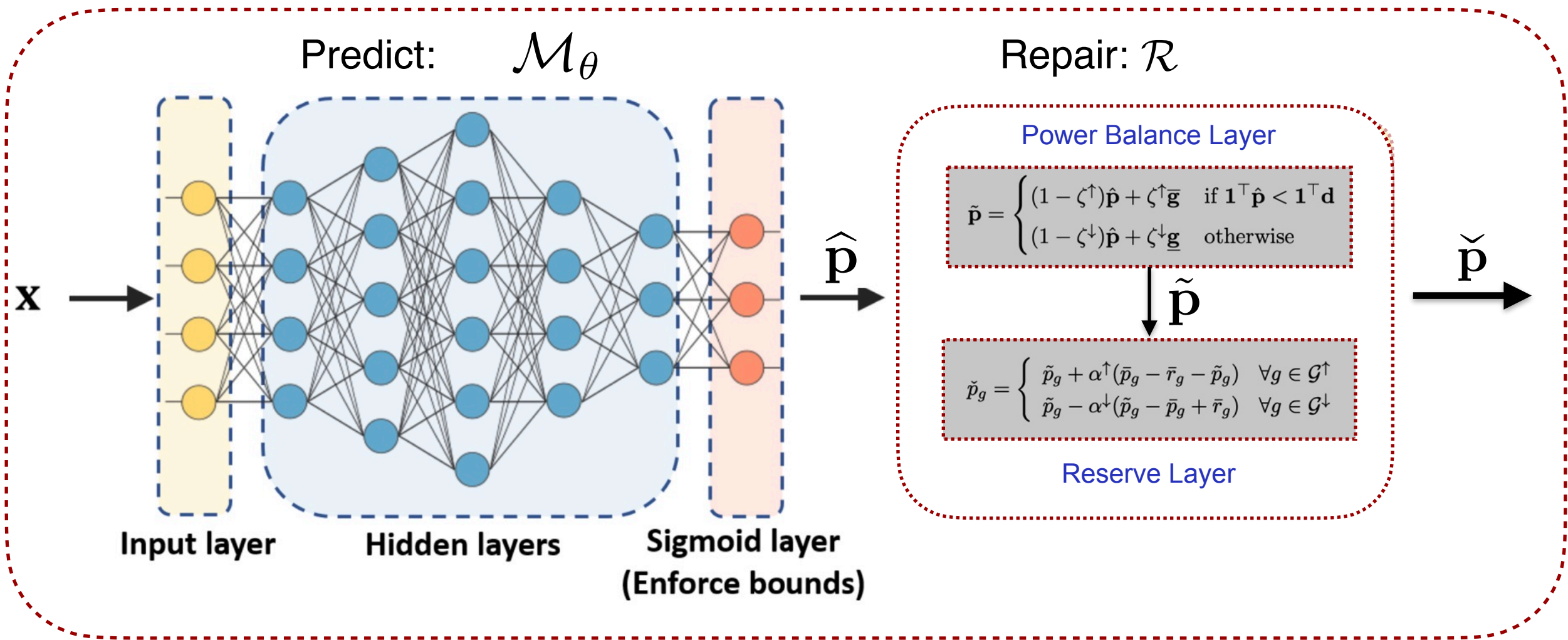
# Repair Step



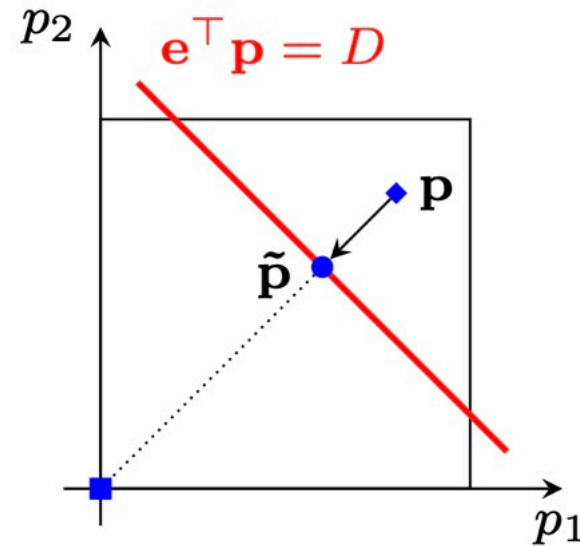
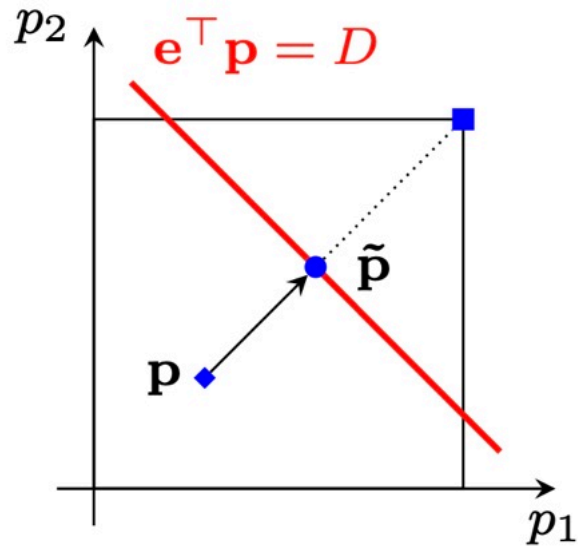


$$\text{Gradient Step: } \theta^{t+1} = \theta^t - \alpha \frac{\partial \mathcal{L}(\mathbf{y}, \check{\mathbf{y}}^t)}{\partial \theta}$$

# The Primal ED Proxy



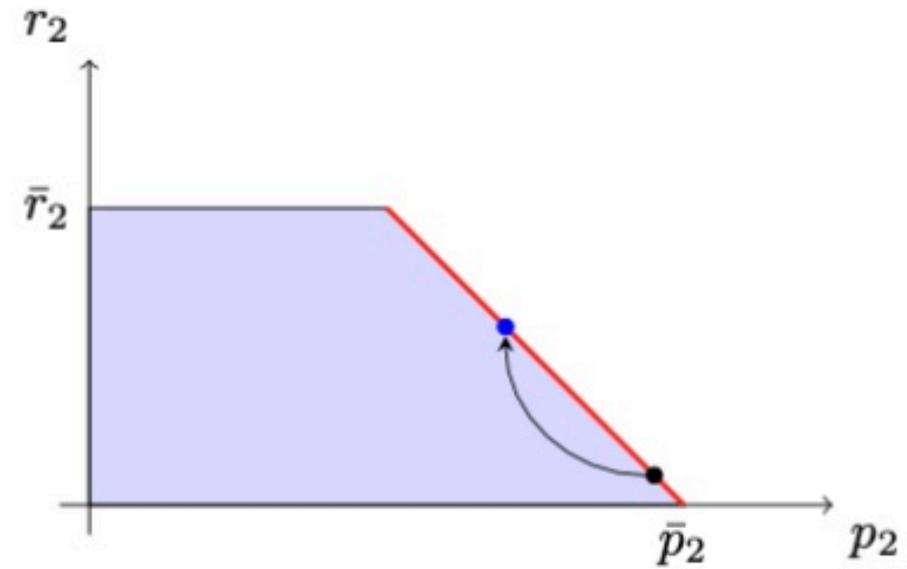
# Repairing the Power Balance



proportional  
response

$$\mathcal{P}(\mathbf{p}) = \begin{cases} (1 - \eta^\uparrow)\mathbf{p} + \eta^\uparrow\bar{\mathbf{p}} & \text{if } \mathbf{e}^\top \mathbf{p} < D \\ (1 - \eta^\downarrow)\mathbf{p} + \eta^\downarrow\mathbf{0} & \text{if } \mathbf{e}^\top \mathbf{p} \geq D \end{cases}$$

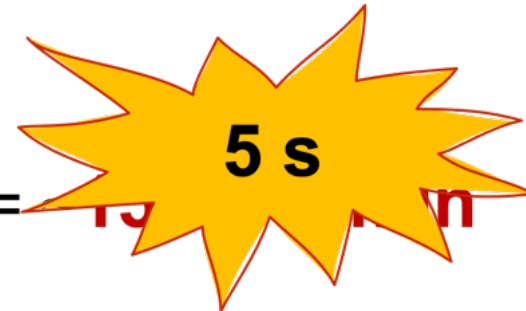
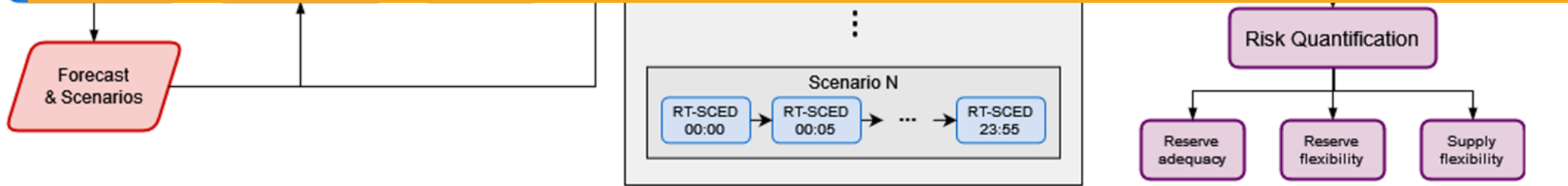
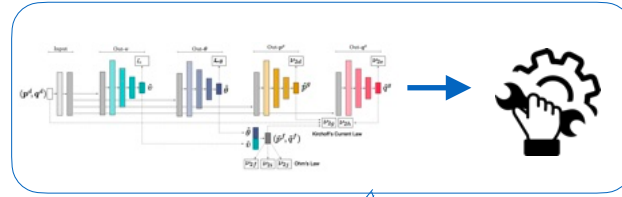
# Increasing the Reserves



Greedy Generators

$\mathcal{G}^\downarrow$

# Real-Time Risk Assessment



1 Monte-Carlo simulation (24hr) = 288 LPs = 5 s



Power plant outage



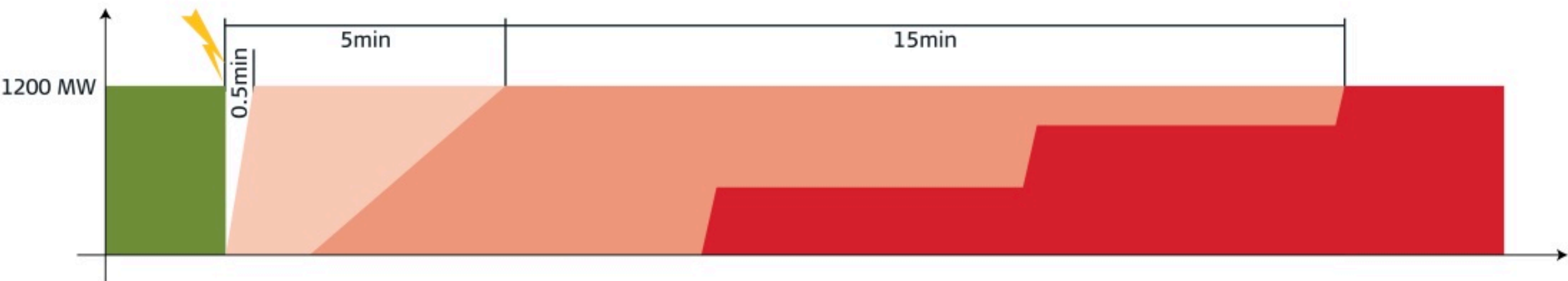
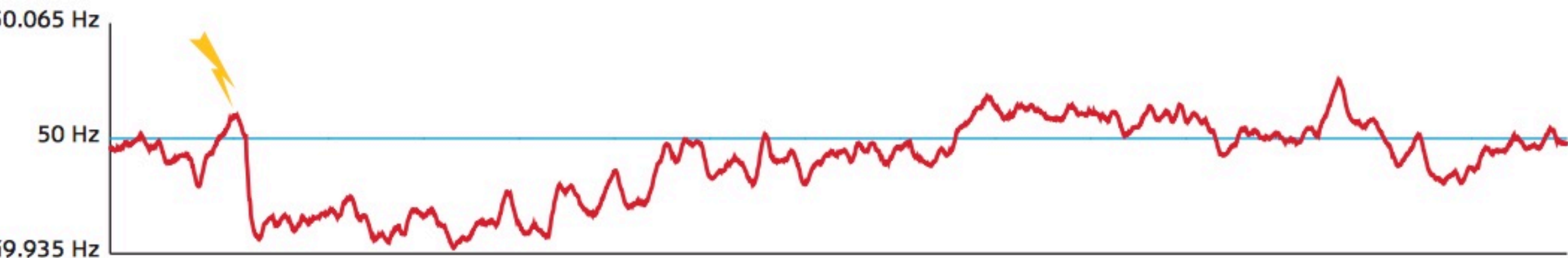
Primary control



Secondary control



Tertiary control





$$\min_{\mathbf{g}, [\mathbf{g}_k, \rho_k, n_k]_{k \in \mathcal{K}_g}, [\eta_k]_{k \in \{0\} \cup \mathcal{K}_g \cup \mathcal{K}_e}} \mathbf{c}^\top \mathbf{g} + M_\eta \left( \sum_{k \in \{0\} \cup \mathcal{K}_g \cup \mathcal{K}_e} \|\eta_k\|_1 \right) \quad (1)$$

$$\text{s. t.: } \mathbf{1}^\top \mathbf{g} = \mathbf{1}^\top \mathbf{d} \quad (2)$$

$$\underline{\mathbf{f}} - \boldsymbol{\eta}_0 \leq \mathbf{f} = \mathbf{K}(\mathbf{d} - \mathbf{B}\mathbf{g}) \leq \bar{\mathbf{f}} + \boldsymbol{\eta}_0 \quad (3)$$

$$\underline{\mathbf{g}} \leq \mathbf{g} \leq \bar{\mathbf{g}} \quad (4)$$

$$\mathbf{1}^\top \mathbf{g}_k = \mathbf{1}^\top \mathbf{d} \quad \forall k \in \mathcal{K}_g \quad (5)$$

$$\underline{\mathbf{f}} - \boldsymbol{\eta}_k \leq \mathbf{f}_k = \mathbf{K}(\mathbf{d} - \mathbf{B}\mathbf{g}_k) \leq \bar{\mathbf{f}} + \boldsymbol{\eta}_k \quad \forall k \in \mathcal{K}_g \quad (6)$$

$$\underline{g}_i \leq g_{k,i} \leq \bar{g}_i \quad \forall i \in \mathcal{G}, \forall k \in \mathcal{K}_g, i \neq k \quad (7)$$

$$g_{k,k} = 0 \quad \forall k \in \mathcal{K}_g \quad (8)$$

$$|g_{k,i} - g_i| \leq \gamma_i \quad \forall i \in \mathcal{G}, \forall k \in \mathcal{K}_g, i \neq k \quad (9)$$

$$g_i + n_k \gamma_i \leq \bar{g}_i \quad \forall i \in \mathcal{G}, \forall k \in \mathcal{K}_g, i \neq k \quad (10)$$

$$g_{k,i} \geq \hat{g}_i \quad \forall i \in \mathcal{G}, \forall k \in \mathcal{K}_g, i \neq k \quad (11)$$

$$\underline{\mathbf{f}} - \boldsymbol{\eta}_k \leq \mathbf{f}_k \quad \forall k \in \mathcal{K}_g \quad (12)$$

$$\boldsymbol{\eta}_k \geq \mathbf{0} \quad \forall k \in \{0\} \cup \mathcal{K}_g \cup \mathcal{K}_e \quad (13)$$

$$n_k \in [0, 1] \quad \forall k \in \mathcal{K}_g \quad (14)$$

$$\rho_{k,i} \in \{0, 1\} \quad \forall i \in \mathcal{G}, \forall k \in \mathcal{K}_g, i \neq k \quad (15)$$

Contingencies

Power Balance in the Contingencies

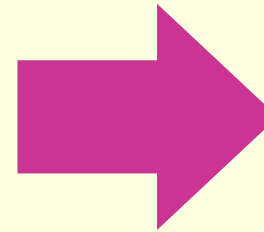
thermal limits

A. Velloso, P. Van Hentenryck, and S. E. Johnson. An exact and scalable problem decomposition for security-constrained optimal power flow. *Electric Power Systems Research* 195(June): 106677, 2021.

Inference Times in ms



**2.5 hours**



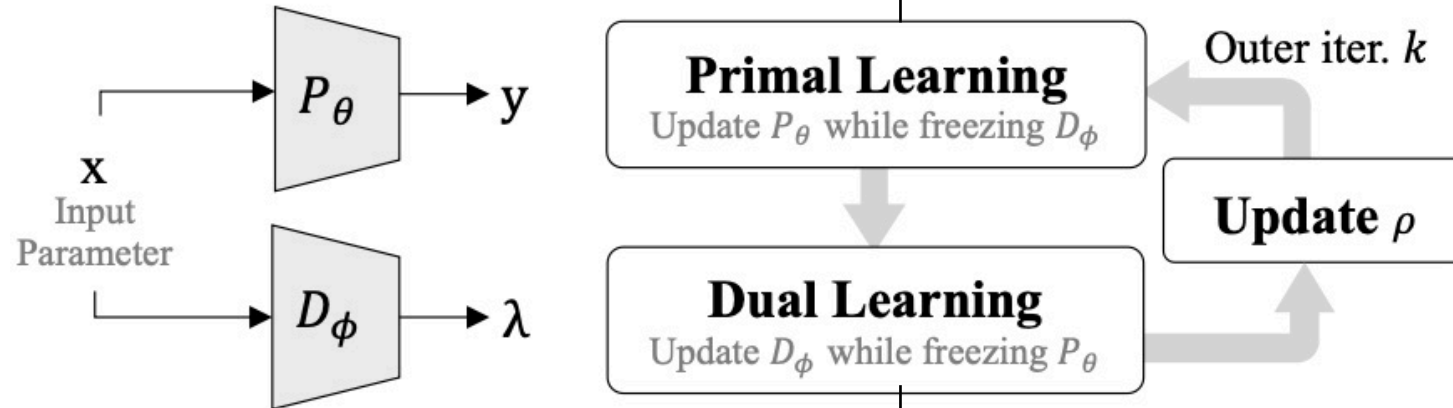
**< 10 ms**

4917_goc	5720.35	8055.80	13316.95	7	10.98	10
6515_rte	4648.31	9560.78	92430.47	4	6.65	10

4917_goc	479.881	5975.488	8.045	8@GPU
6515_rte	823.016	6767.474	10.576	51.9370

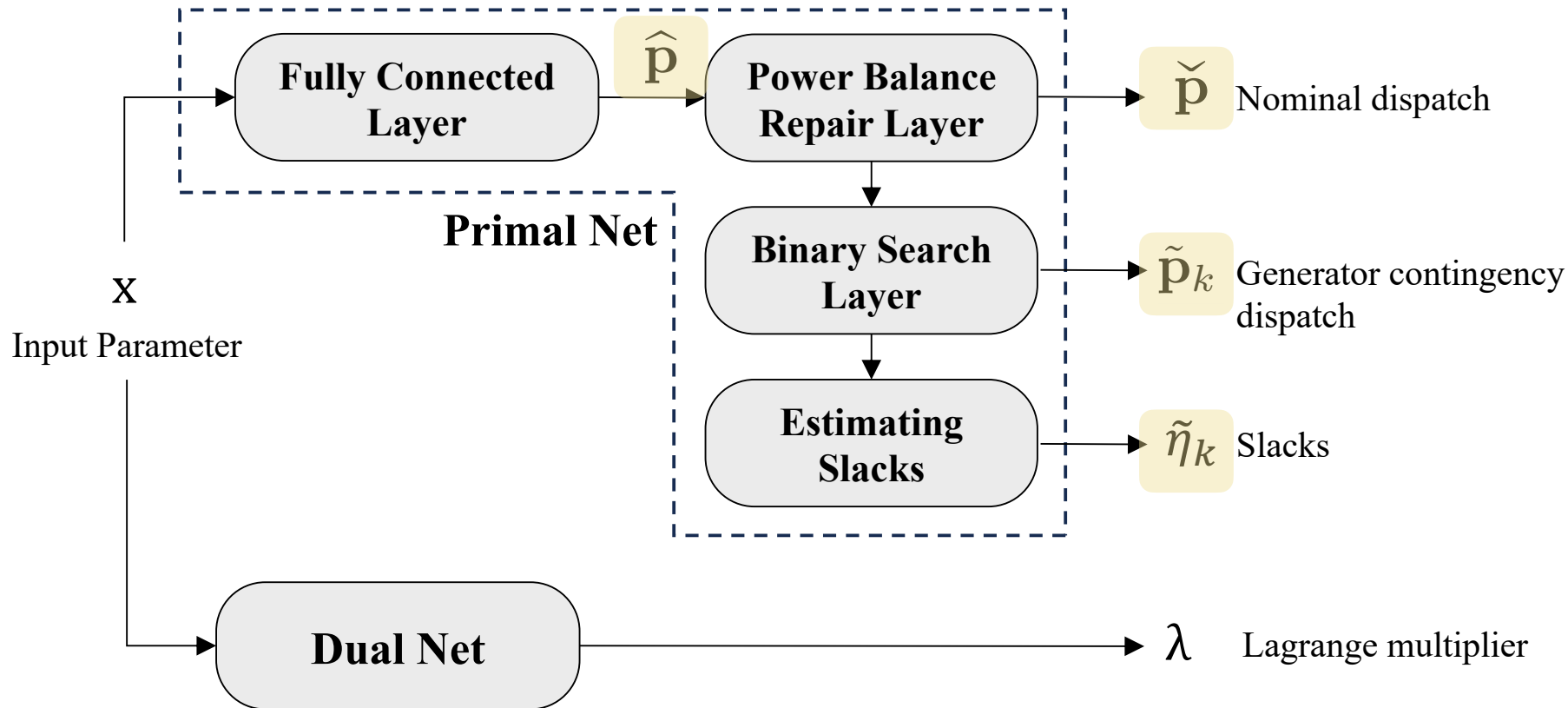
Over 2.5 hours

$$\theta^{t+1} = \operatorname{argmin}_{\theta} \frac{1}{n} \sum_{i \in [n]} f_{\mathbf{x}_i}(\mathbf{y}_i) + D_{\phi^t}(\mathbf{x}_i)^T \mathbf{h}_{\mathbf{x}_i}(\mathbf{y}_i) + \frac{\rho}{2} \mathbf{1}^\top \mathbf{h}_{\mathbf{x}_i}(\mathbf{y}_i)^2$$



$$\phi^{t+1} = \operatorname{argmin}_{\phi} \frac{1}{n} \sum_{i \in [n]} \|D_\phi(\mathbf{x}_i) - D_{\phi^t}(\mathbf{x}_i) + \rho \mathbf{h}_{\mathbf{x}_i}(P_{\theta^{t+1}}(\mathbf{x}_i))\|$$

# The Primal and Dual Networks



[Submitted on 29 Nov 2023 (v1), last revised 27 Apr 2024 (this version, v2)]

**Self-Supervised Learning for Large-Scale Preventive Security Constrained DC Optimal Power Flow**

Seonho Park, Pascal Van Hentenryck



**FINISH**

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